De Sitter from warped anti-D3-branes?

Ander Retolaza

Strings 2018, Okinawa, 25th June 2018



1707.08678 by Jakob Moritz, A.R. & Alexander Westphal

In GKP [Giddings, Kachru, Polchinski '01] compactifications, tension between perspectives

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4D EFT (SUGRA) approach to vacua construction

[Kachru, Kallosh, Linde, Trivedi '03]

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10D General Relativity

[Maldacena, Núñez '00]

Warped compactification ansatz:

$$R_4(g^4) \sim \int_{\mathcal{M}_6} \sqrt{g^6} e^{4A} (T^{\mu}_{\mu} - T^m_m)$$

- De Sitter possible if $T^{\mu}_{\mu} > T^{m}_{m}$
- Exist in string theory, but problematic for GKP backgrounds
- $\overline{D3}$ -branes: $T^{\mu}_{\mu} < T^{m}_{m}$

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[Mortiz, AR, Westphal '17] 10D picture of most simple KKLT construction

Start with 2 derivative Type IIB action. For a generalized GKP ansatz:

$$R_4(g^4) \sim \int d^6 y \sqrt{g^6} \left[-|\partial (e^{4A} - \alpha)|^2 - e^{8A} \left(\frac{|G_3^{lASD}|^2}{6 \text{Im}(\tau)} + \frac{\Delta^{loc}}{2\pi} \right) \right]$$

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We can now follow the KKLT approach:

• Moduli stabilization: fluxes and *one* gaugino condensate $\langle \lambda \lambda \rangle$ ($h^{1,1} = 1$)

10D description of $\langle\lambda\lambda
angle$ using [Baumann, Dymarsky, Kachru, Klebanov, McAllister '10]

$$R_4(g^4) \sim - |\langle \lambda \lambda
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Leading order correction to R_4 from re-adjustment of internal geometry: in the controlled regime a warped **D3-brane fails to uplift to de Sitter**